

%%%

%%% Kalman Filter design example for FDI

%%%

clear all, close all, clc

```
A = [1.1269    -0.4940    0.1129
      1.0000         0         0
           0    1.0000         0];
```

```
B = [-0.3832    % This input is the control
      0.5919    % signal
      0.5191];
```

```
C = [1 0 0];
```

```
Tc = 1;
```

```
D = 0; % The model has 1 input and 1 output!!!
```

```
x0 = [0.001 0.005 -0.003];
```

```
Q = (0.3)^2; % Process noise = 20%
```

```
R = (0.3)^2; % Output noise = 20%
```

%%%

%%% Check the controllability of (A,B) and the
%%% observability of (A,C), which must be equal
%%% to the dimension of A

%%%

```
rank(ctrb(A,B)) % == 3
```

```
rank(observ(A,C)) % == 3
```

```
[Pkf,Ekf,Kkft] = dare(A',C',B'*Q*B',R); % Dual CARE
                                         % for discrete
Kkf = Kkft';                             % time systems!
```

%%% Kalman filter matrices: apart from the Kalman gain,
%%% it is an output observer!

```
Akf = A - Kkf * C;
```

```
Bkf = [B Kkf];
```

```
Ckf = C;
```

```
Dkf = zeros(1,2); % 1 output (row of Dkf) and 2 inputs
                  % (columns of Dkf)
```

%%%

%%% Comparison with the output dynamic observer

%%%

v = [0.01 0.015 0.017];

Ko = place(A',C',v)';

Ao = A - Ko*C;

Bo = [B Ko];

Co = C;

Do = zeros(1,2);

return

