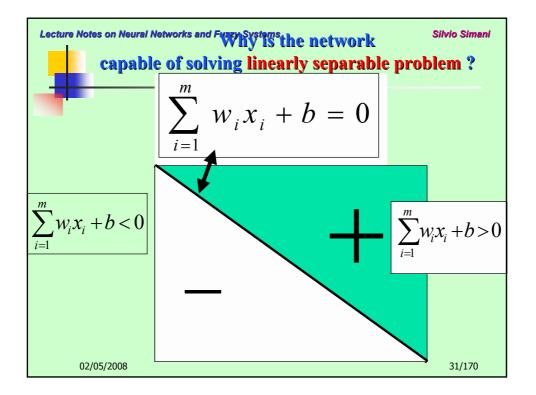
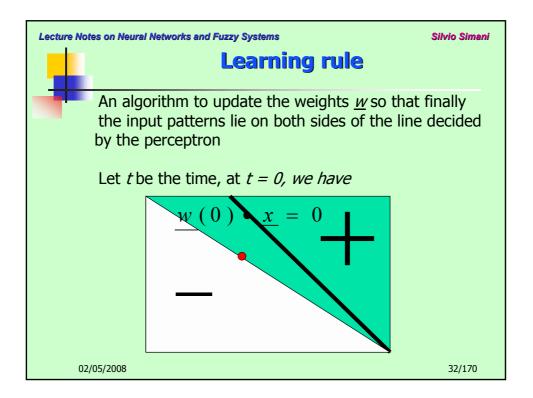


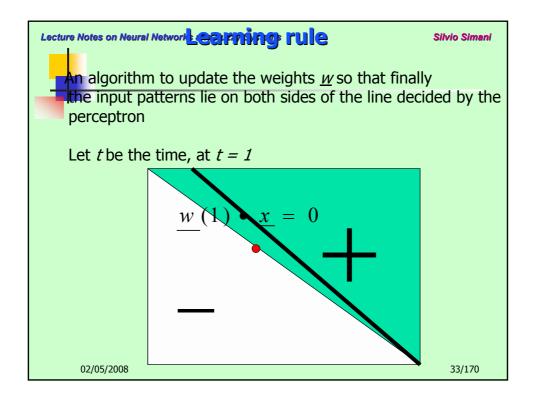
$$y = f\left(\sum_{i=1}^{m} w_i x_i + b\right) = f\left(\sum_{i=0}^{m} w_i x_i\right)$$
We can always treat the bias *b* as another weight with inputs equal 1
where f is the hard limiter function i.e.

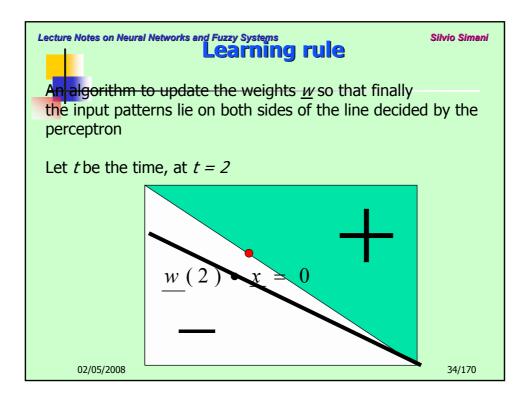
$$y = \begin{cases} 1 & \text{if } \sum_{i=1}^{m} w_i x_i + b > 0 \\ -1 & \text{if } \sum_{i=1}^{m} w_i x_i + b > 0 \end{cases}$$

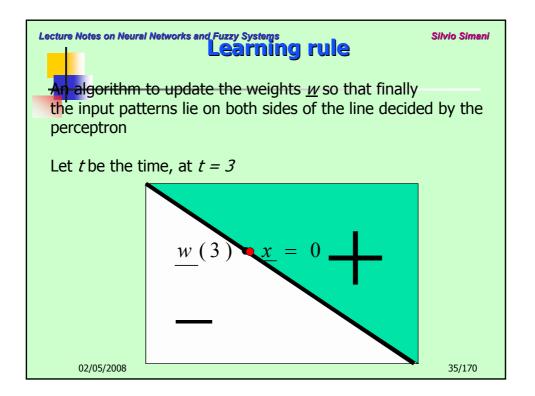
$$y = \begin{cases} 0 & \text{order for } x_i + b < 0 \\ 0 & \text{order for } x_i + b < 0 \end{cases}$$

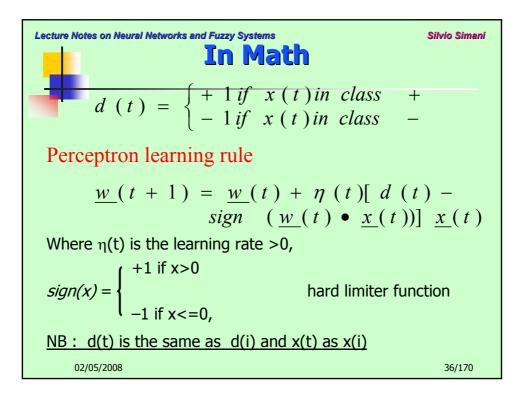


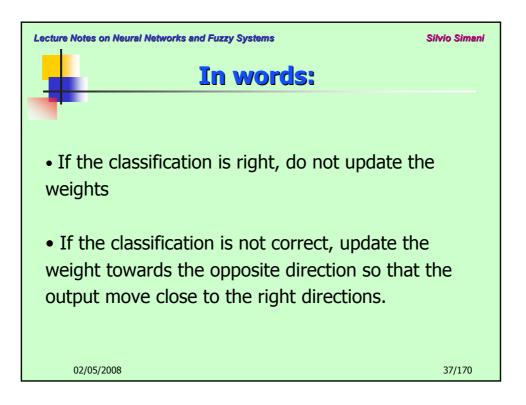


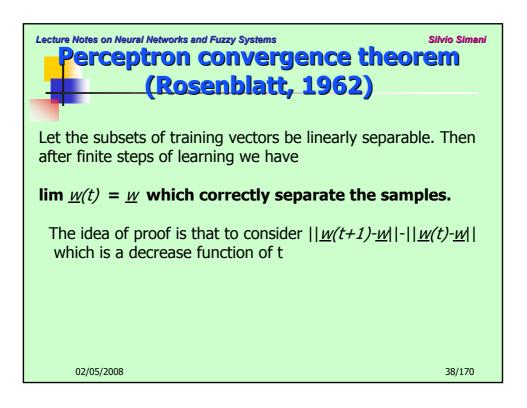


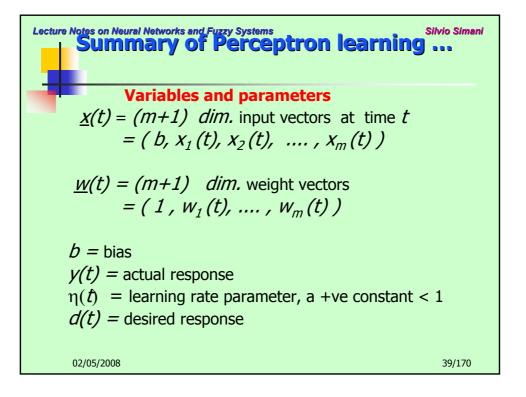


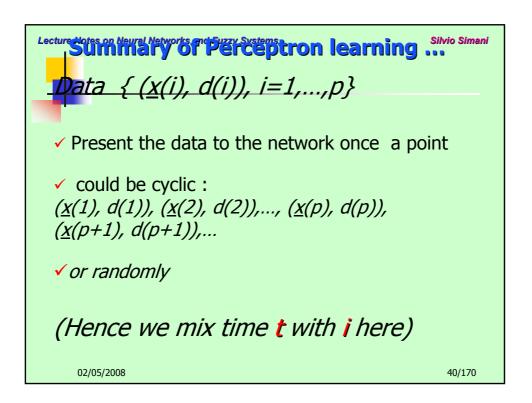


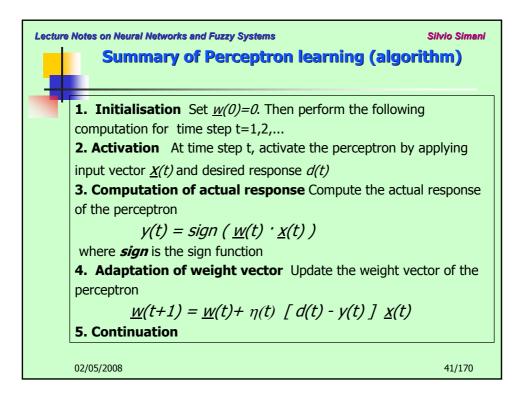


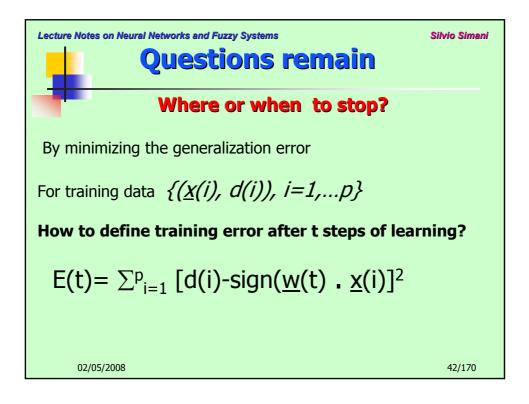


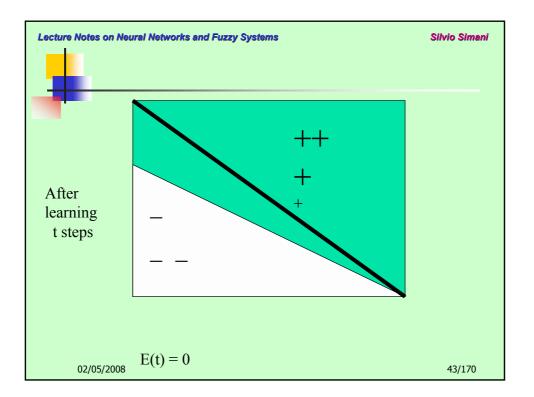


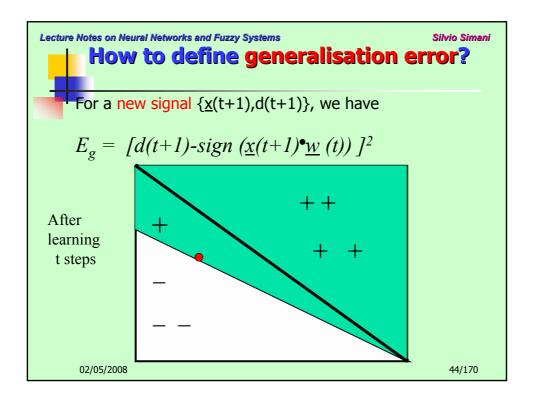


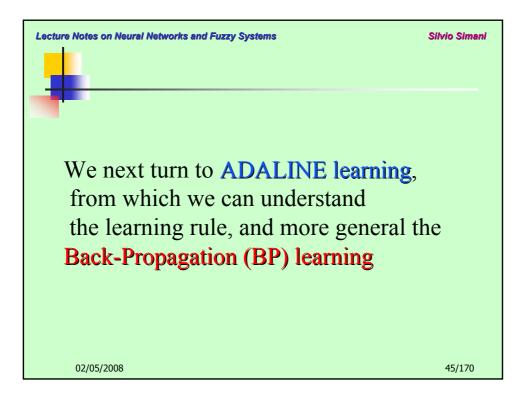


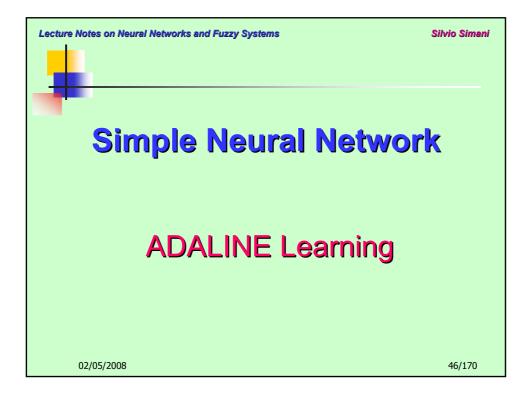


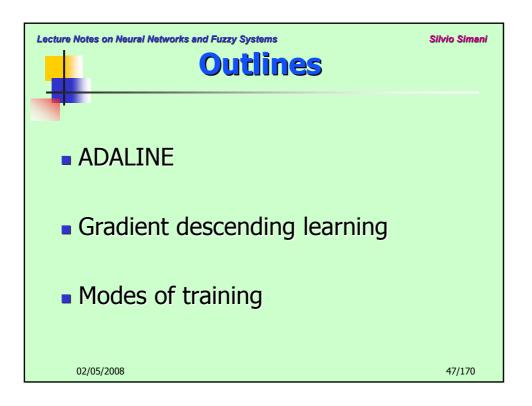


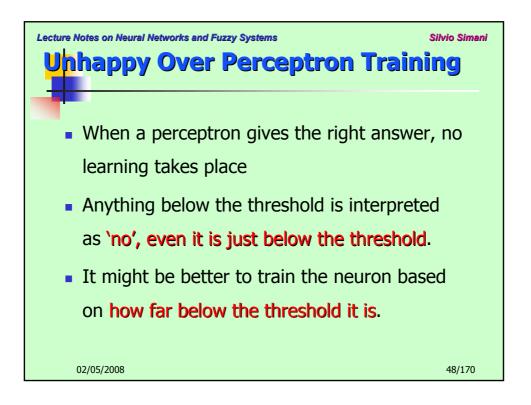


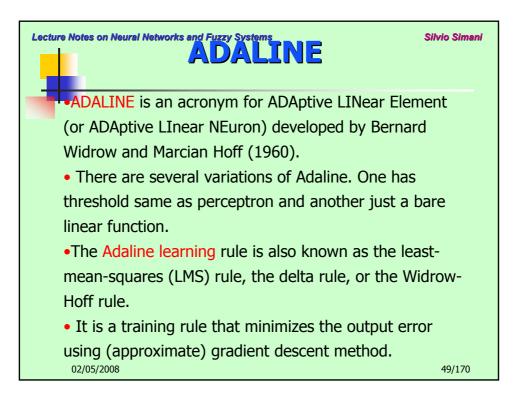


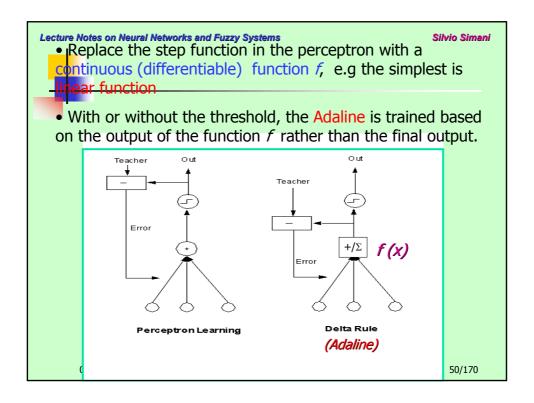


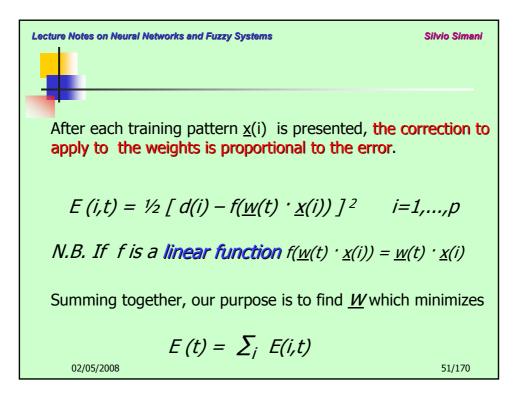


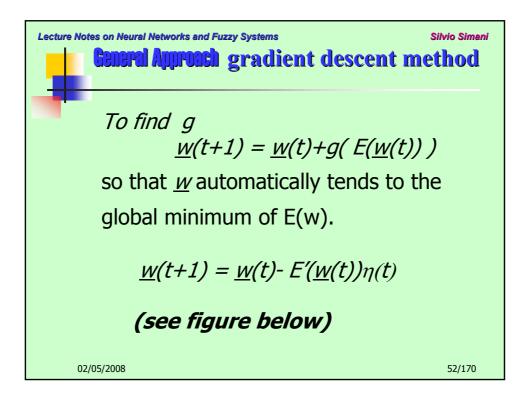


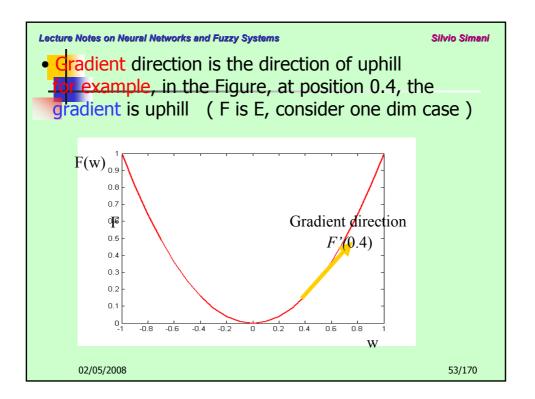


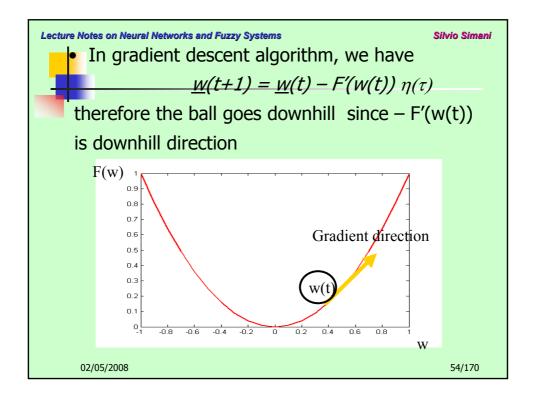


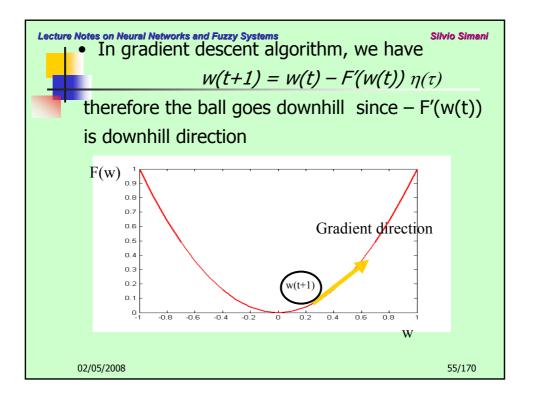


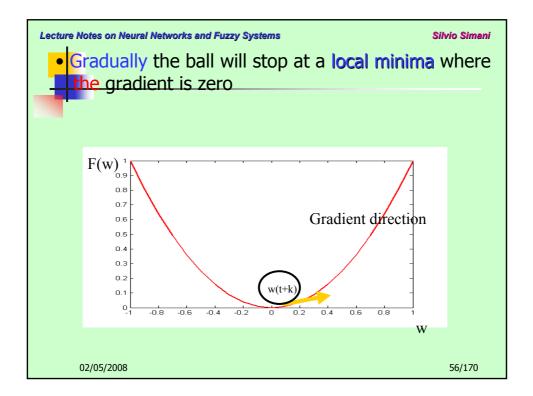


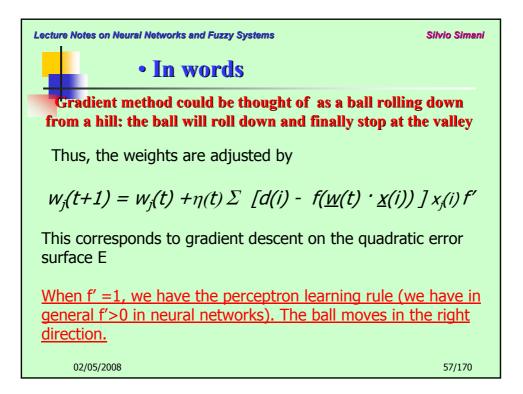


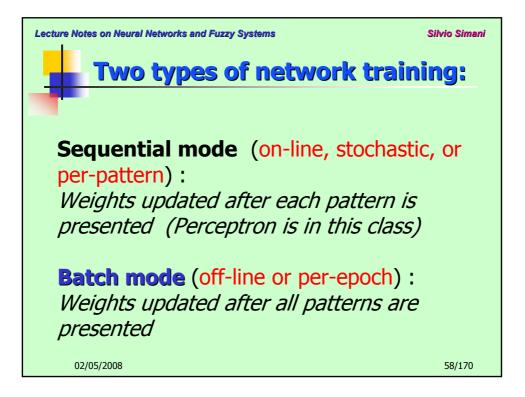


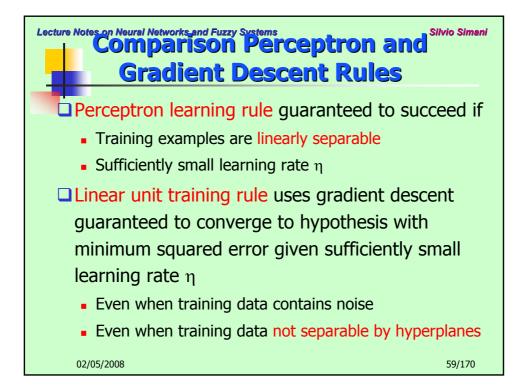


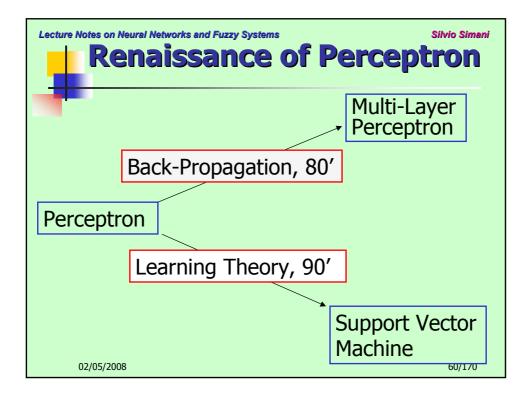


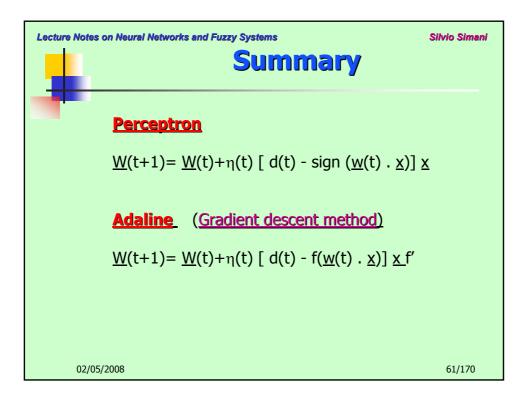


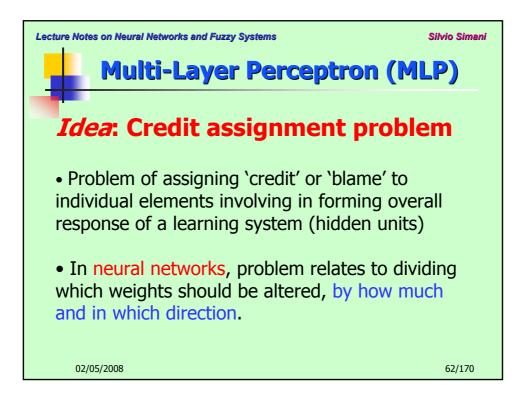


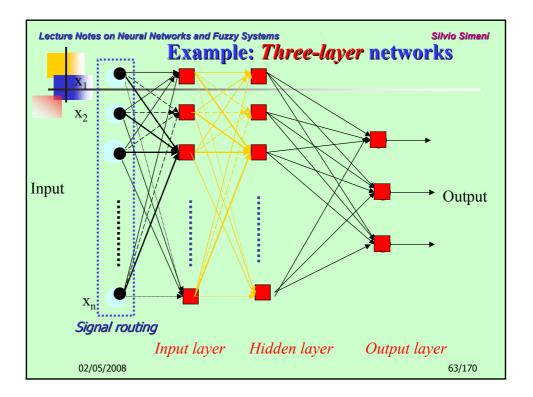


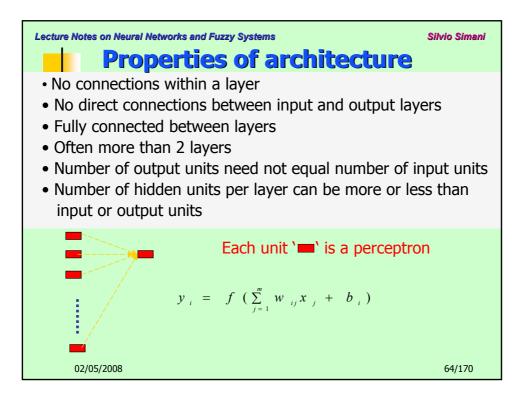


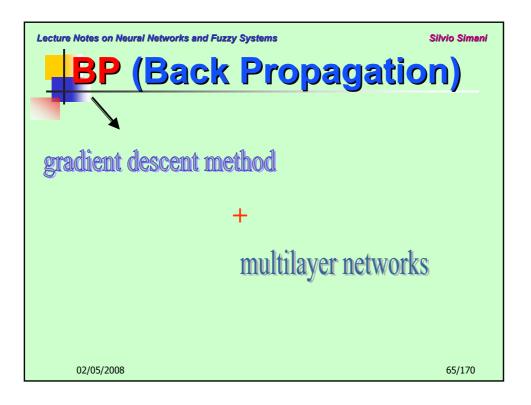


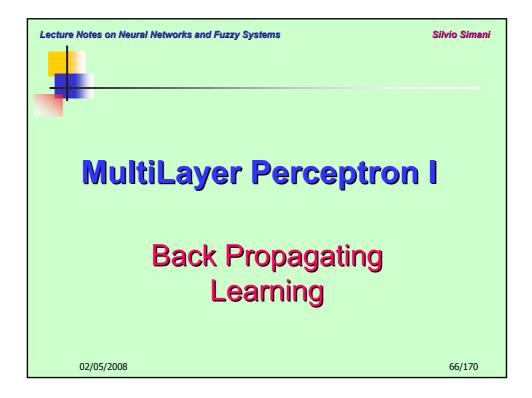


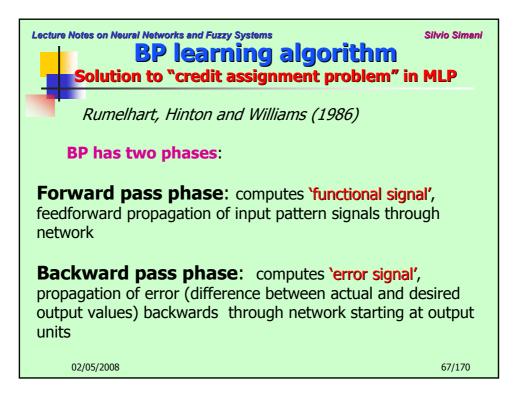


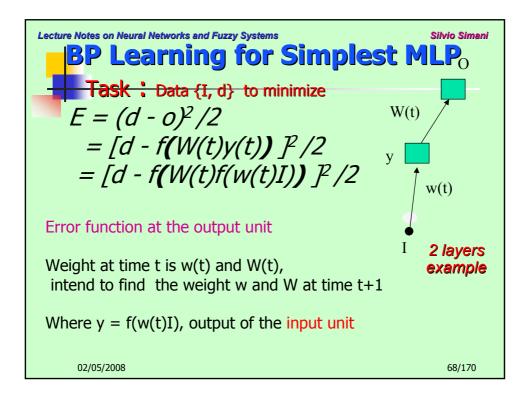


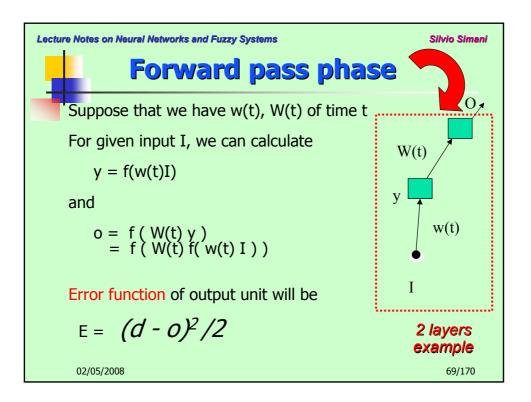


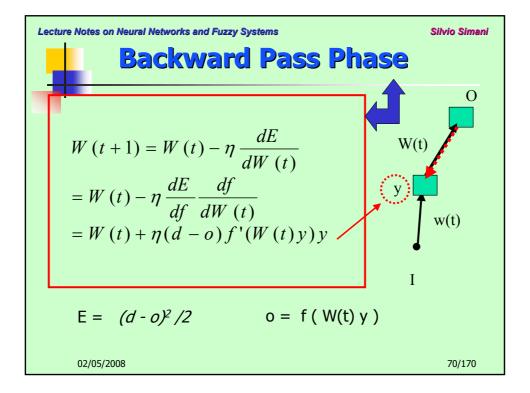


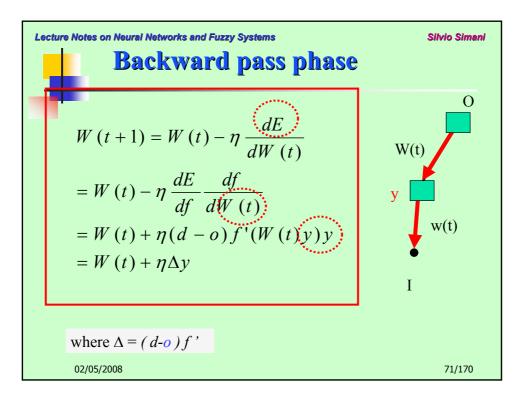


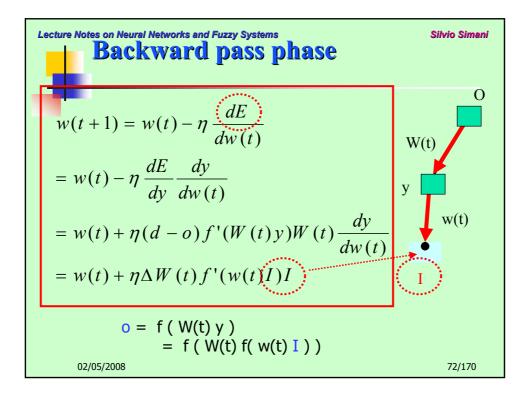


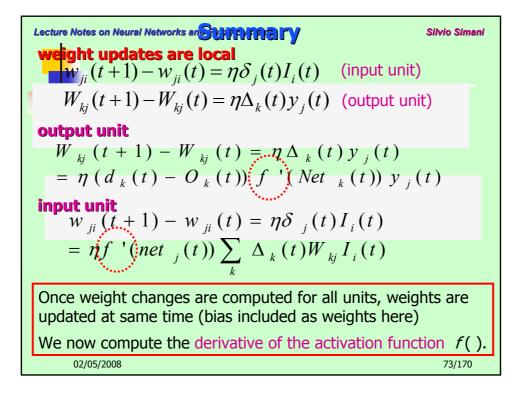


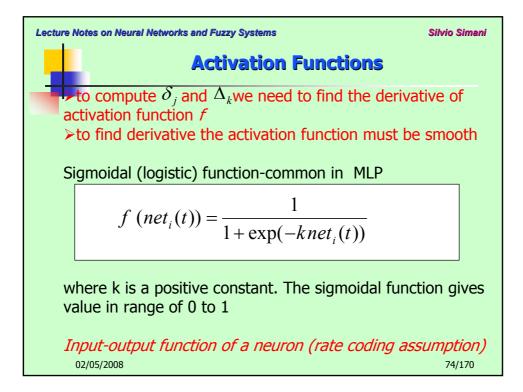


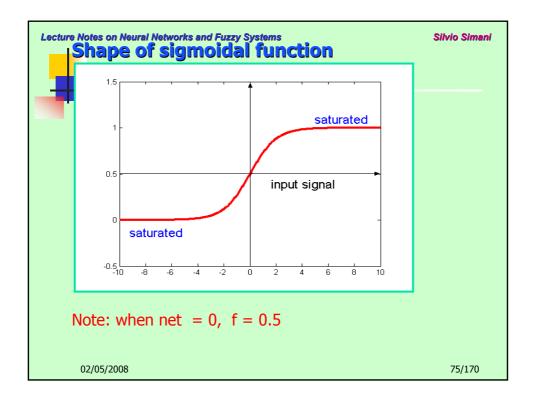


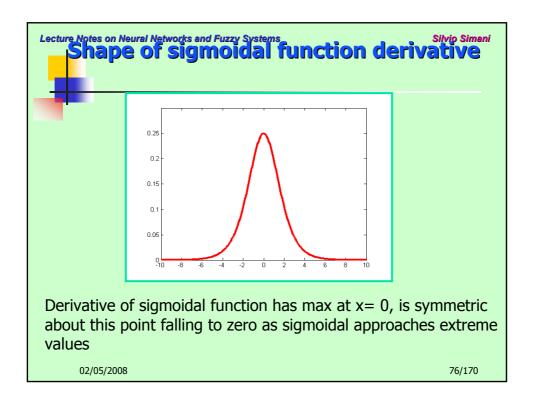


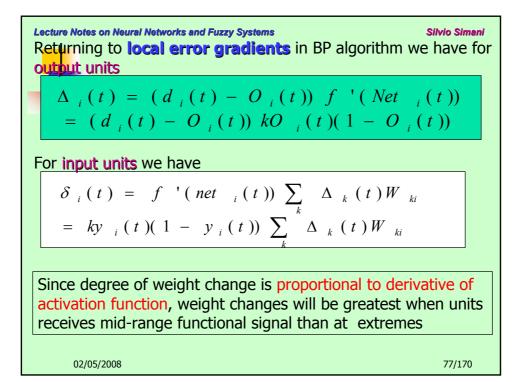


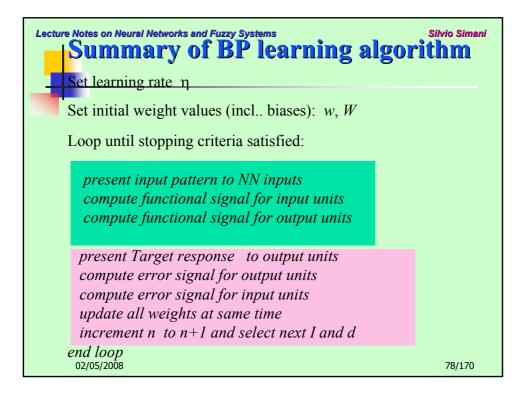


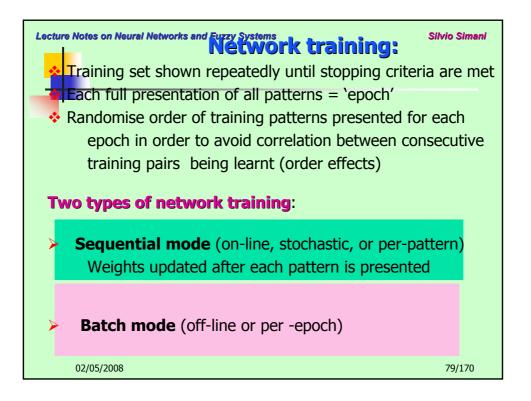


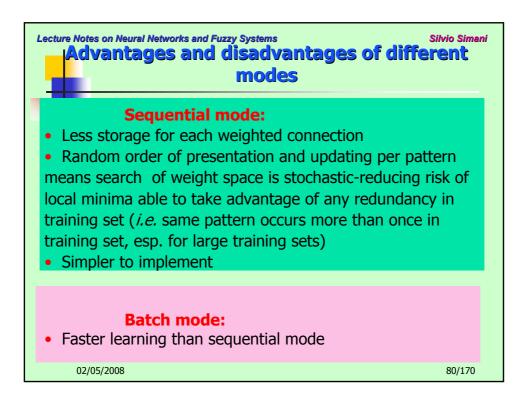


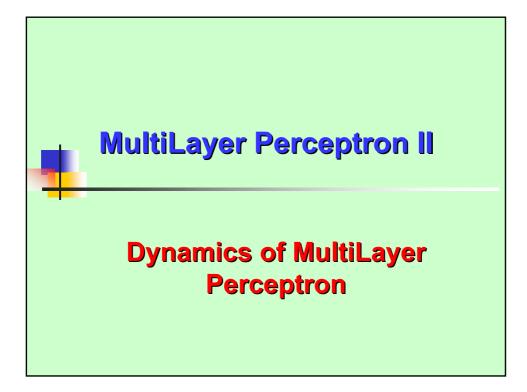


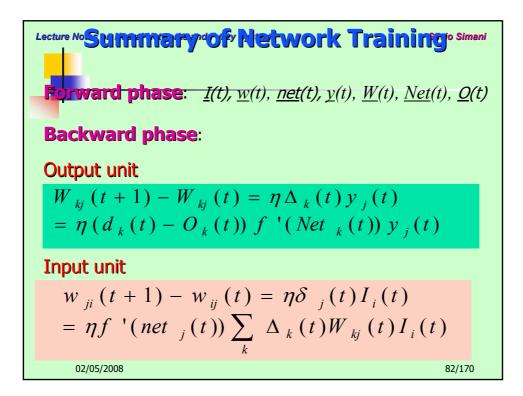


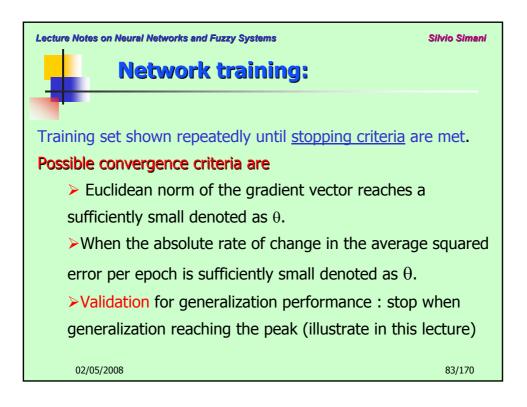


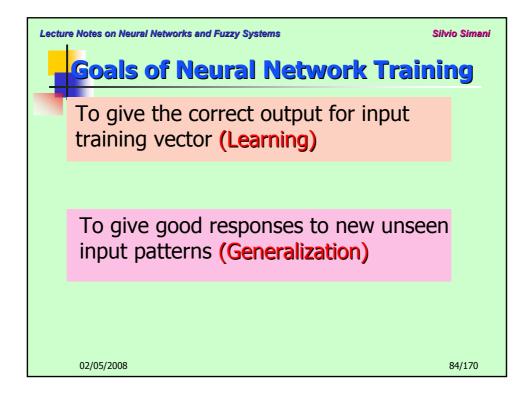


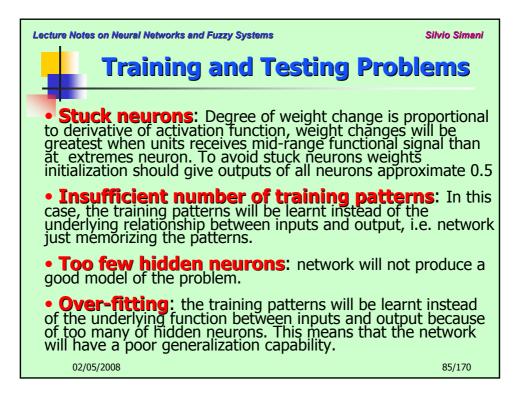




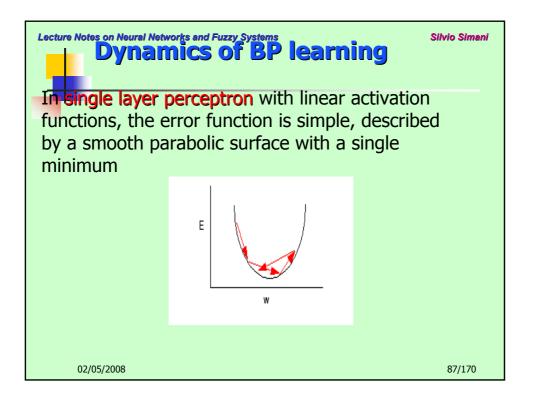


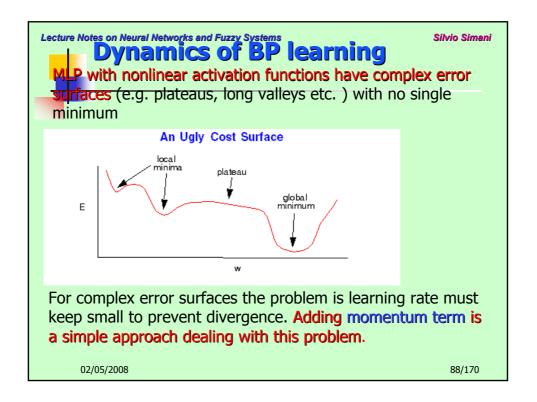


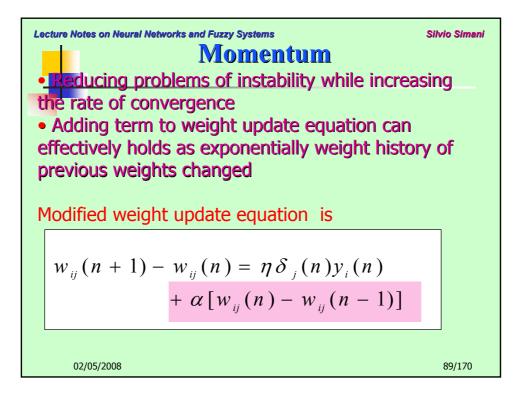


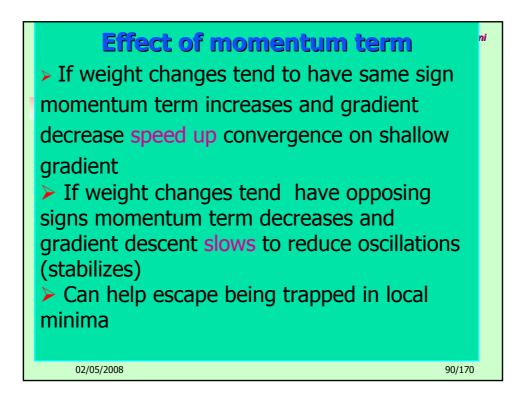


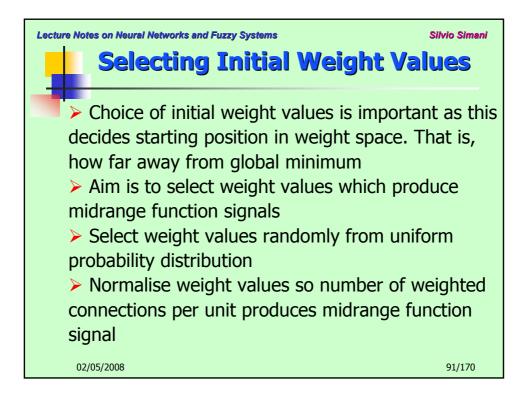
Lecture Notes on Neural Networks and Fuzzy Systems Dynamics of BP learning Aim is to minimise an error function over all training patterns by adapting weights in MLP Recalling the typical error function is the mean squared error as follows $E(t) = \frac{1}{2} \sum_{k=1}^{p} (d_k (t) - O_k (t))^2$ The idea is to reduce E(t) to global minimum point.

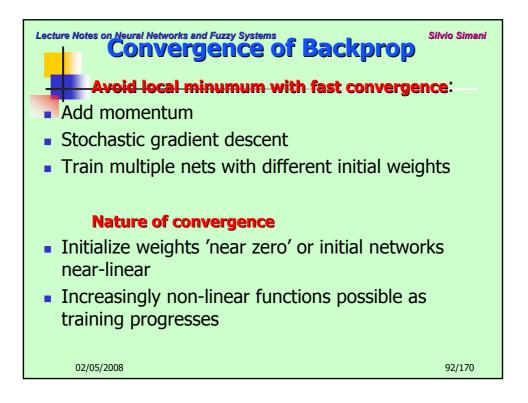


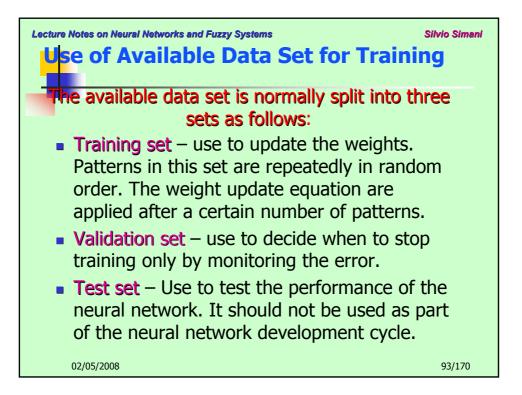


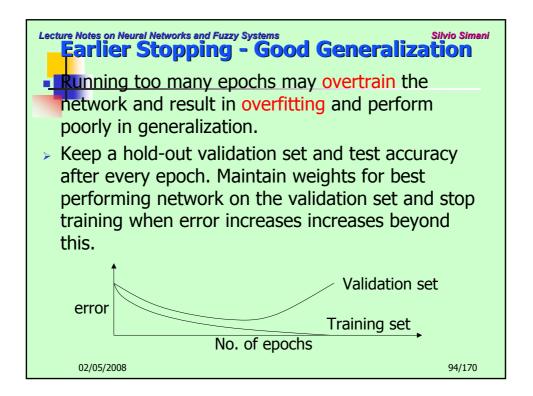


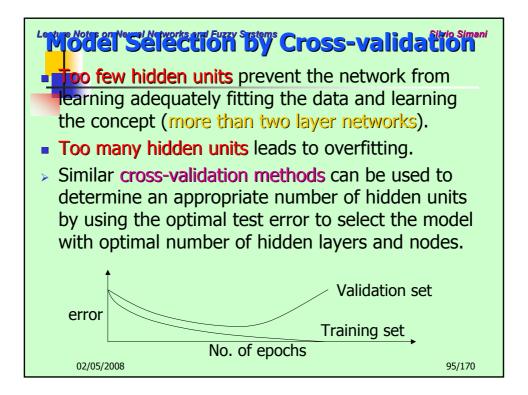


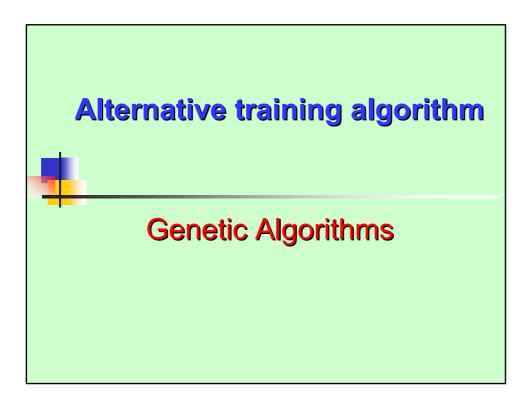


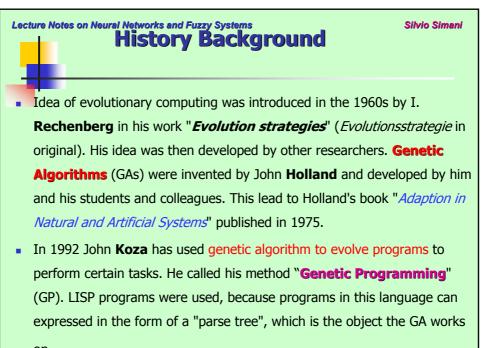






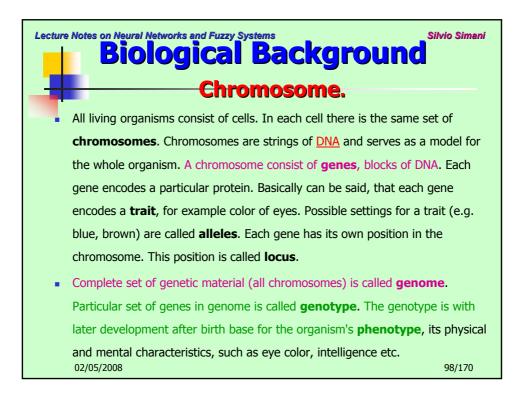


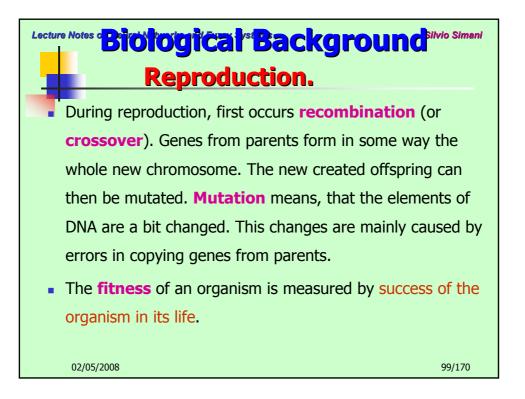


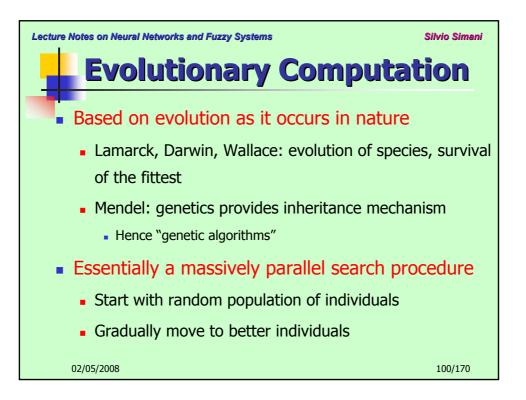


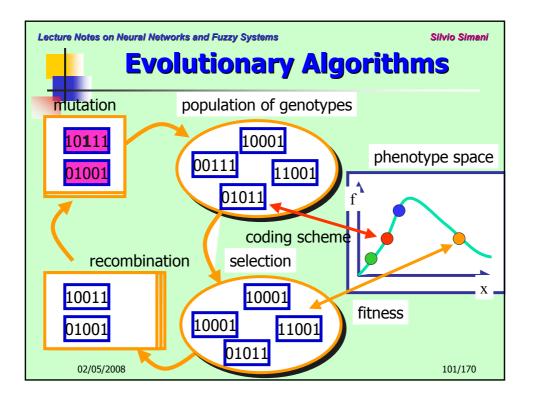
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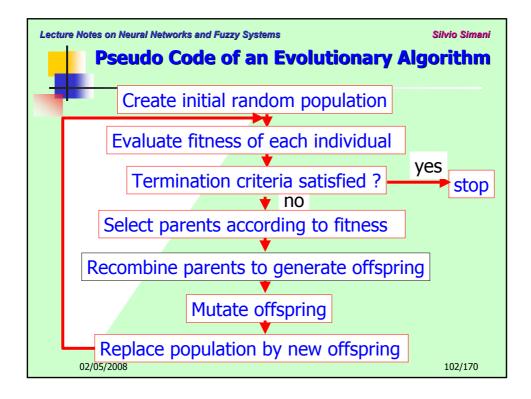
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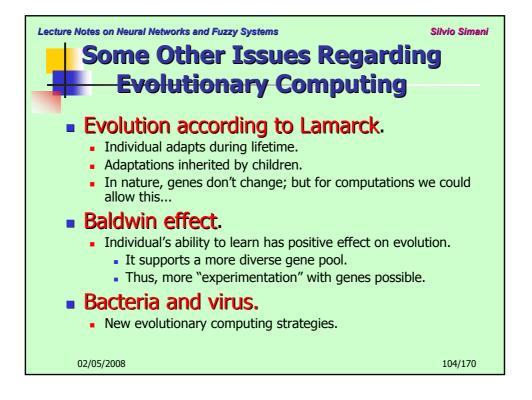


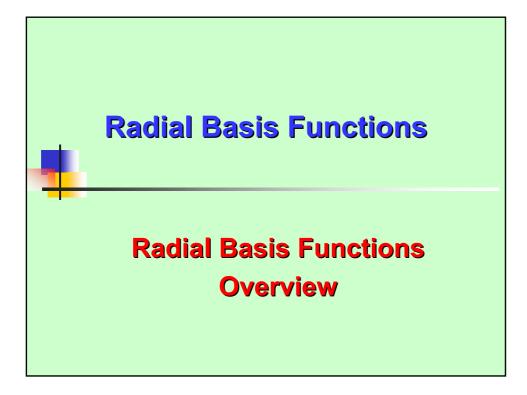


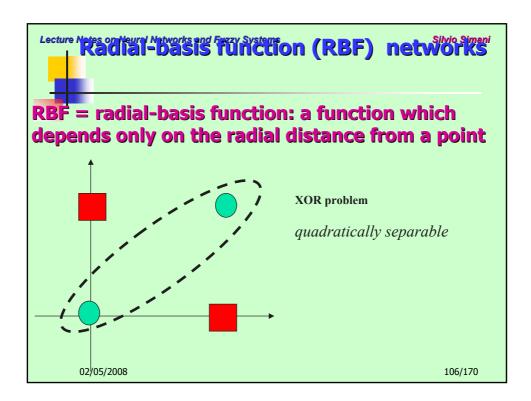


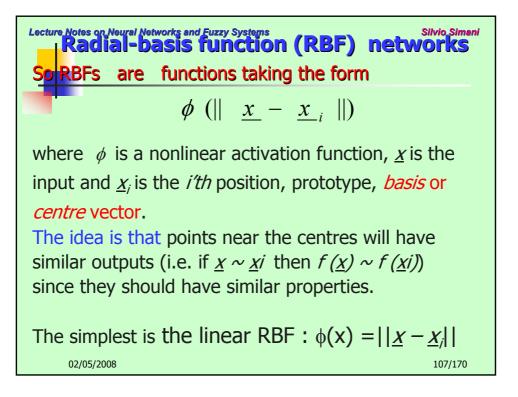


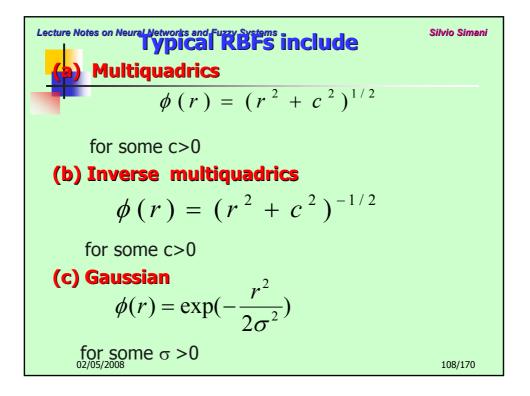
Lecture Notes on Neural Networks and Fuzzy Systems Silvio Simani A Simple Genetic Algorithm				
Optimization task : find the maximum of f(x)				
for example $f(x)=x \cdot \sin(x)$ $x \in [0,\pi]$				
• genotype: binary string $s \in [0,1]^5$ e.g. 11010, 01011, 10001				
• mapping : genotype \Rightarrow phenotype $_{n=5}$				
binary integer encoding: $x = \pi \cdot \sum_{i=1}^{n} s_i \cdot 2^{n-i-1} / (2^n-1)$				
Initial population				
genotype	integ.	phenotype	fitness	prop. fitness
<u>11010</u>	26	2.6349	1.2787	30%
<u>01011</u>	11	1.1148	1.0008	24%
<u>10001</u>	17	1.7228	1.7029	40%
<u>00101</u>	5	0.5067	0.2459	6%
02/05/2008				103/170

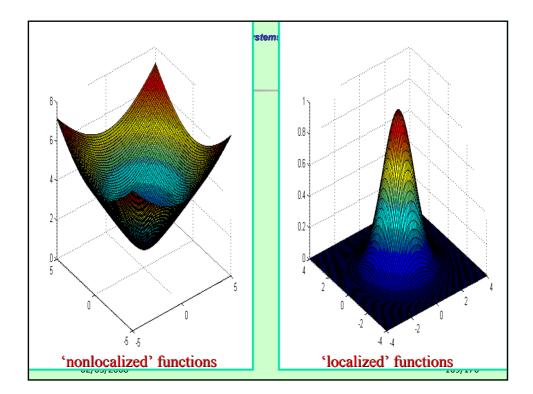


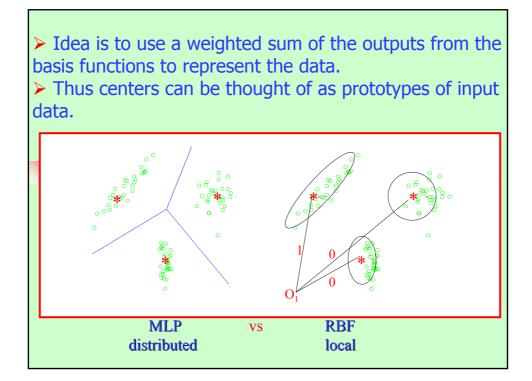


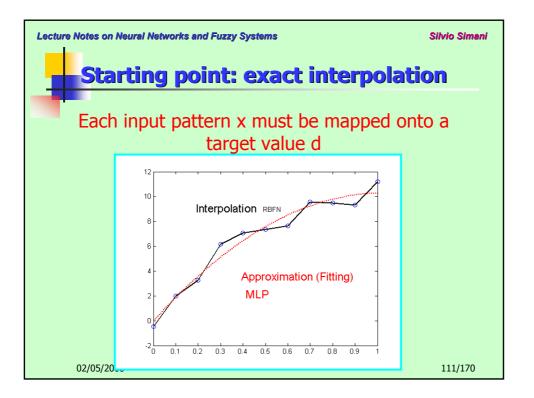




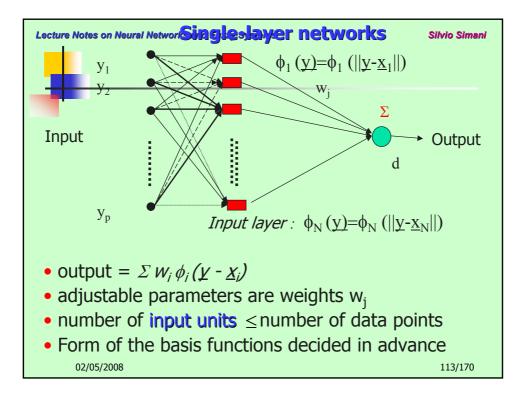


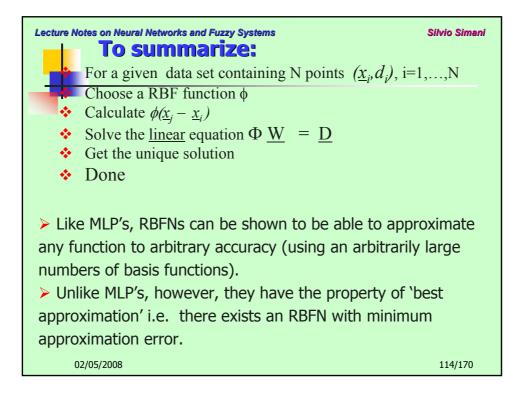


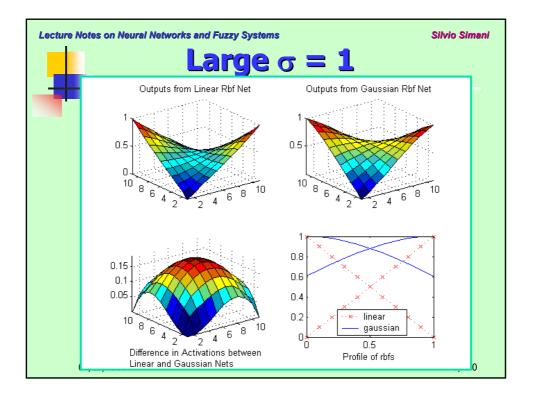


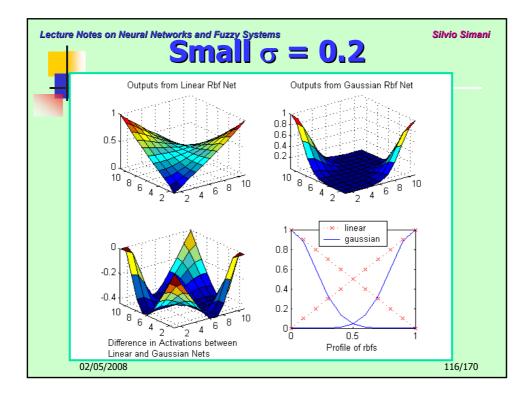


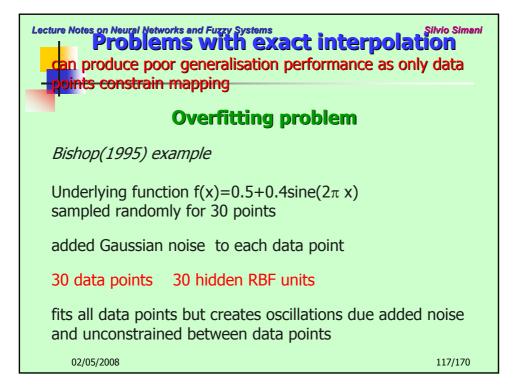
Lecture Notes on Neural Networks and Fuzzy Systems That is, given a set of N vectors \underline{X}_i and a corresponding set of N real numbers, d_i (the targets), find a function F that satisfies the interpolation condition: $F(\underline{X}_i) = d_i \text{ for } i = 1, ..., N$ or more exactly find: $F(\underline{X}) = \sum_{j=1}^{N} w_j \phi(||\underline{X} - \underline{X}_j||)$ satisfying: $F(\underline{X}_i) = \sum_{j=1}^{N} w_j \phi(||\underline{X}_i - \underline{X}_j||) = d_i$ 0205/2008

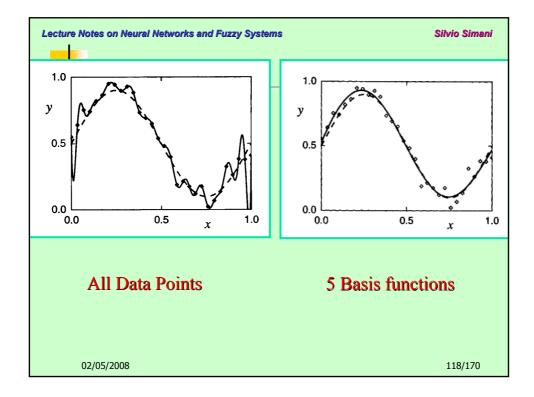


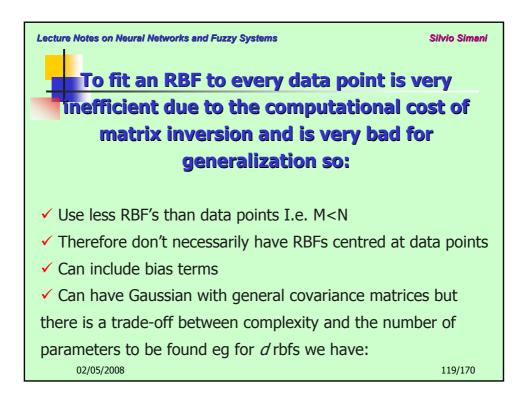


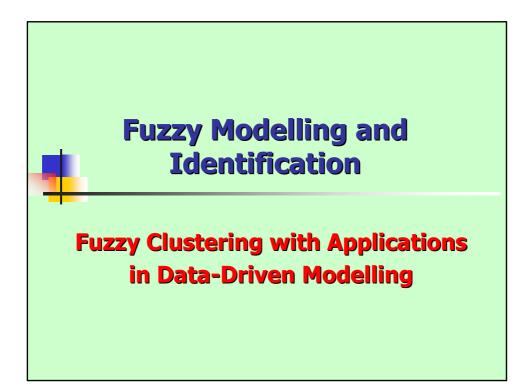


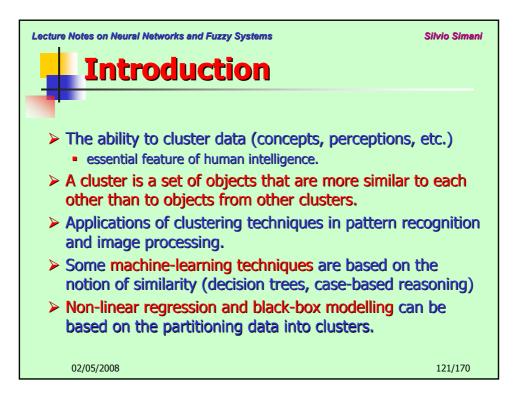


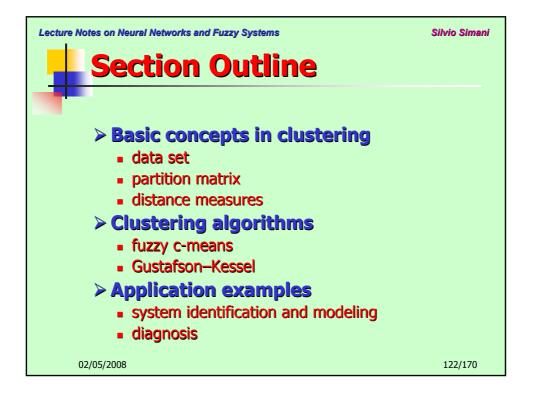


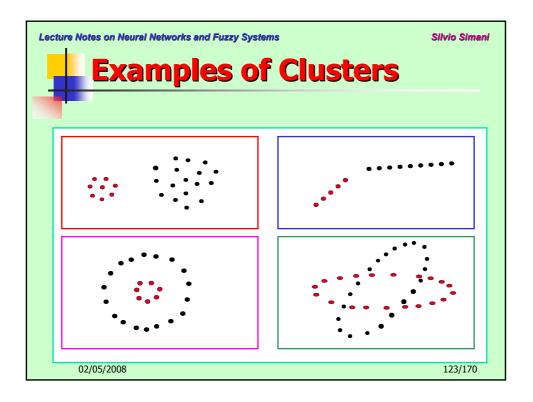


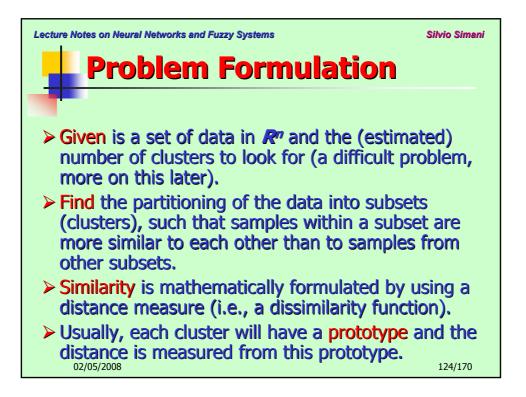


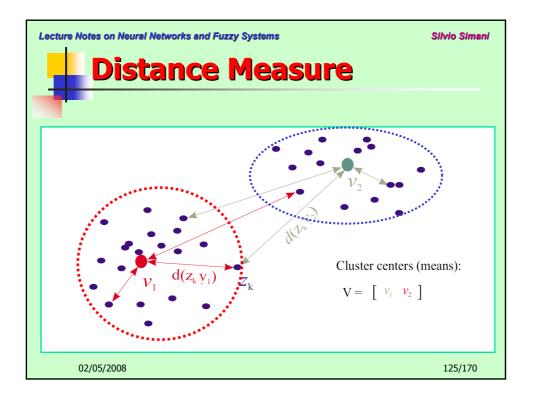


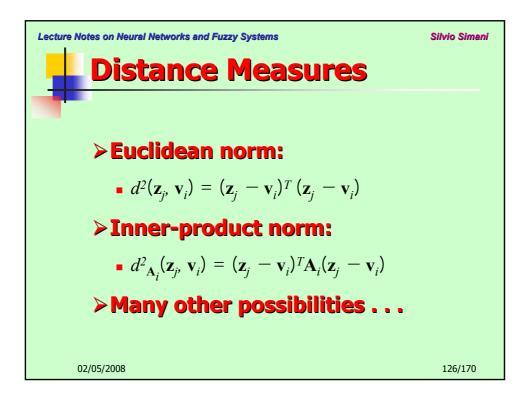


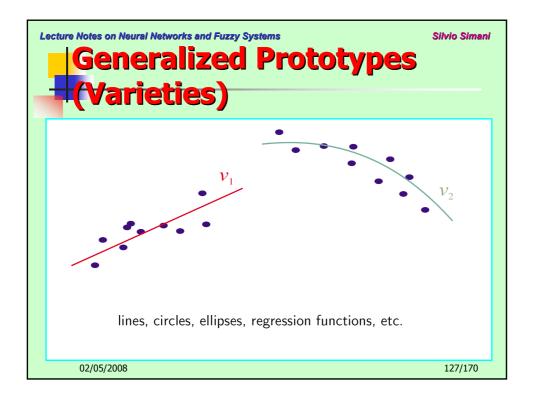


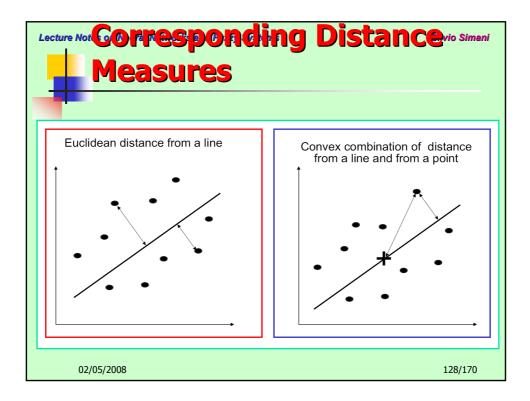


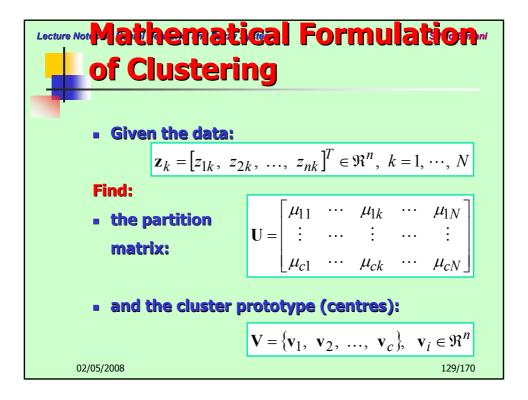


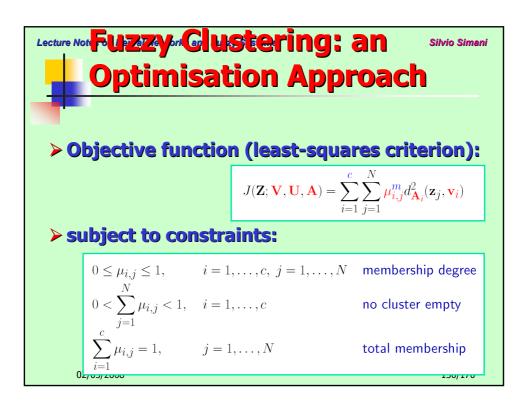


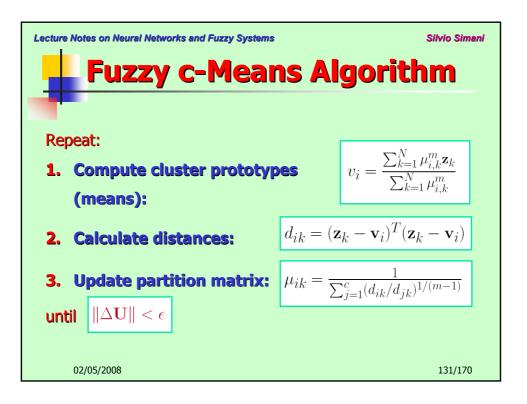


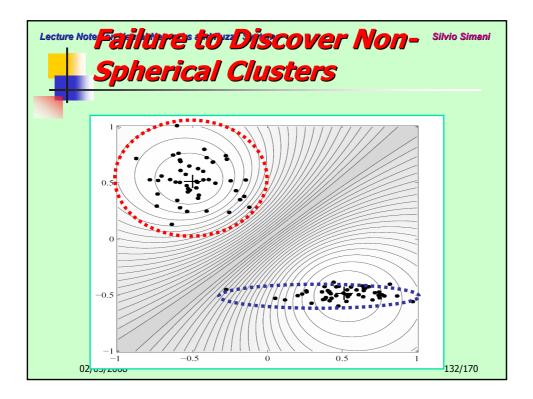


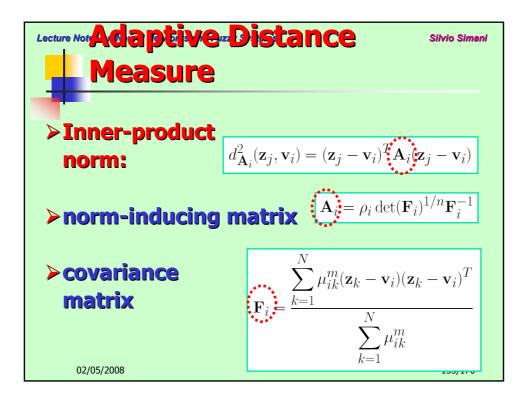


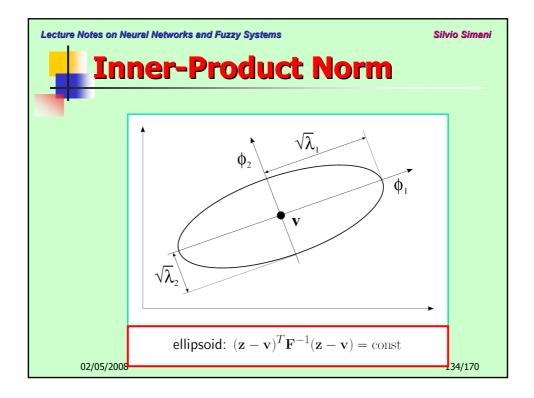


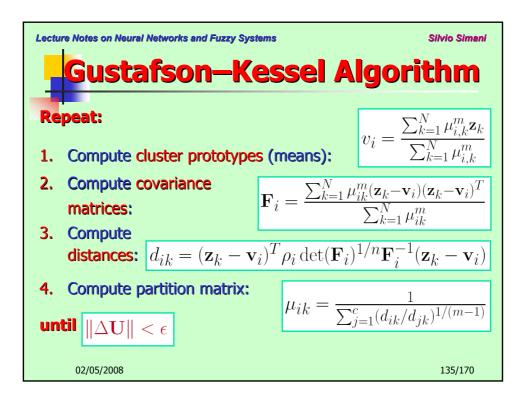


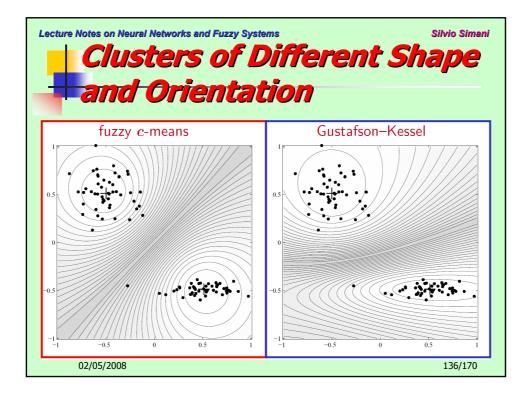


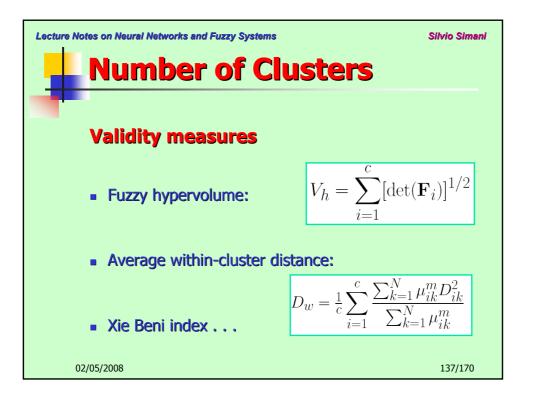


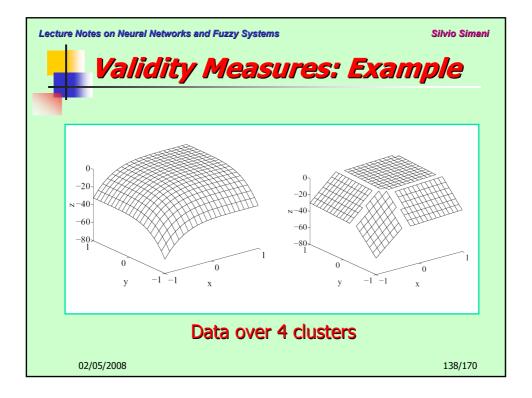


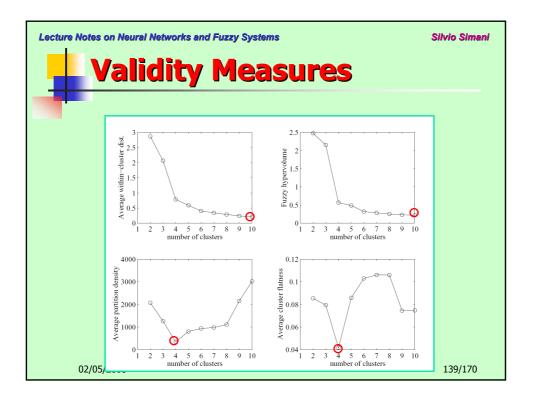


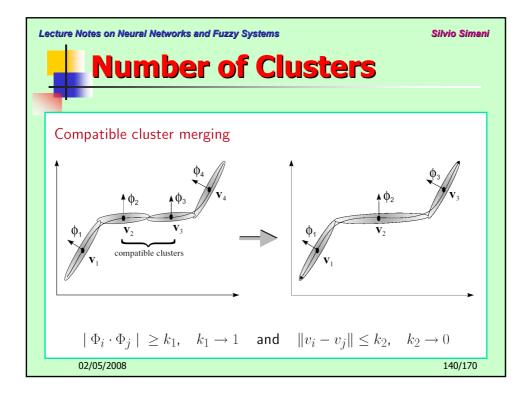


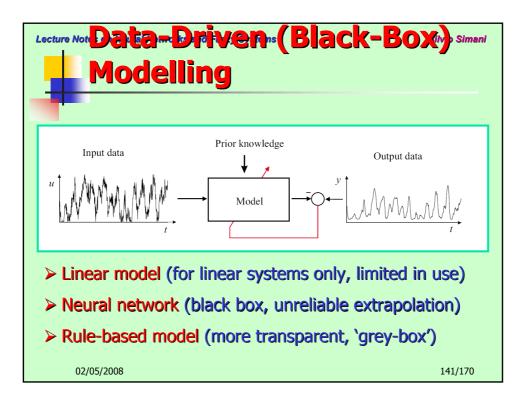


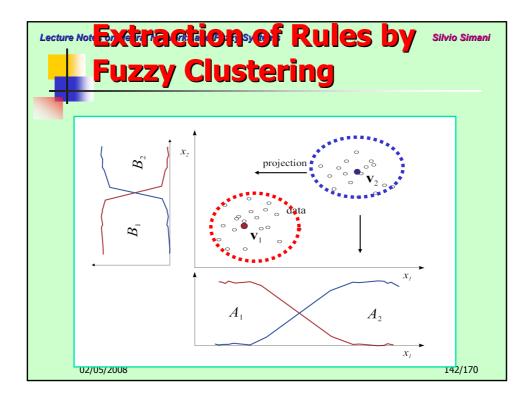


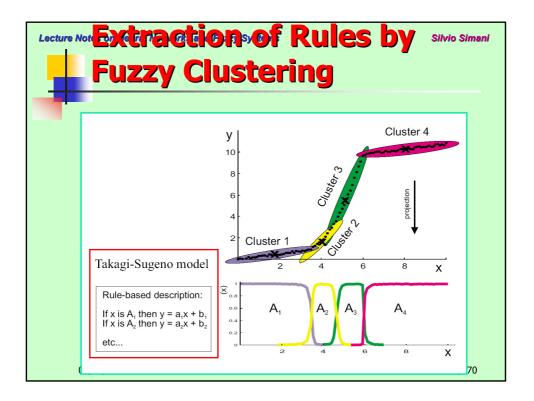


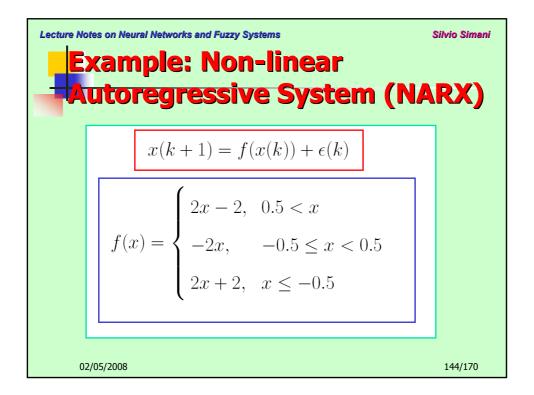


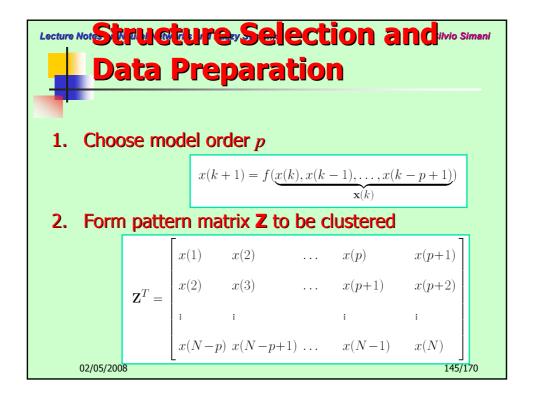


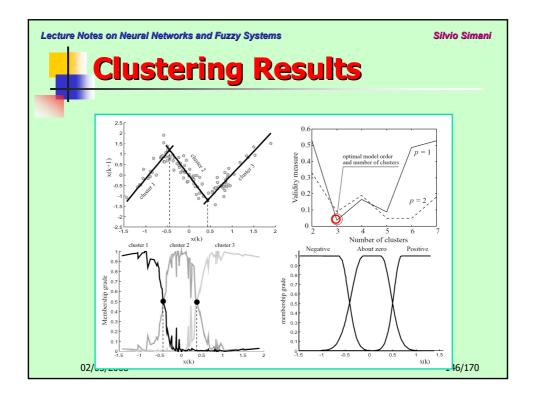


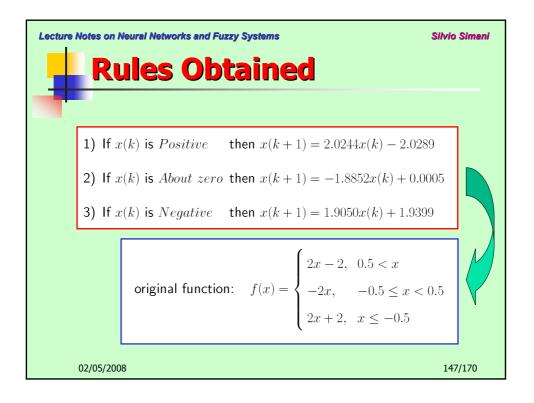


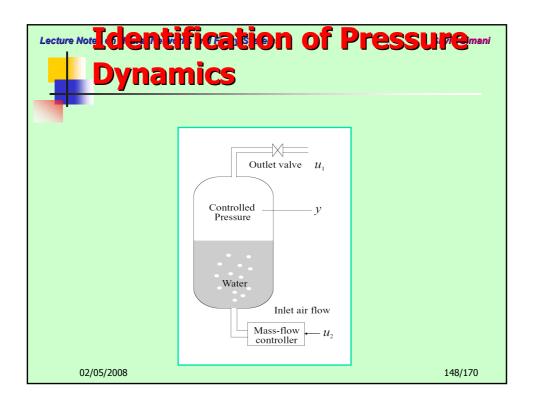


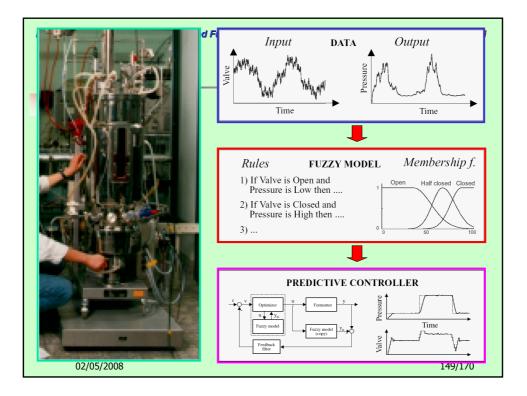


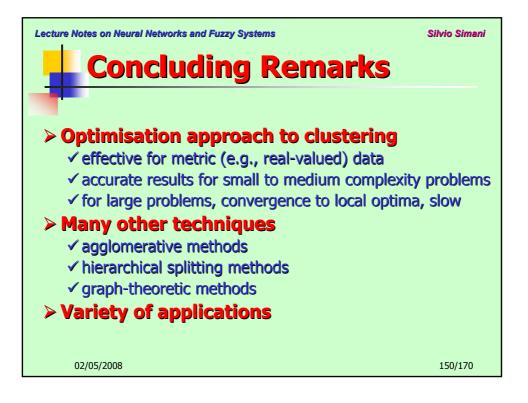


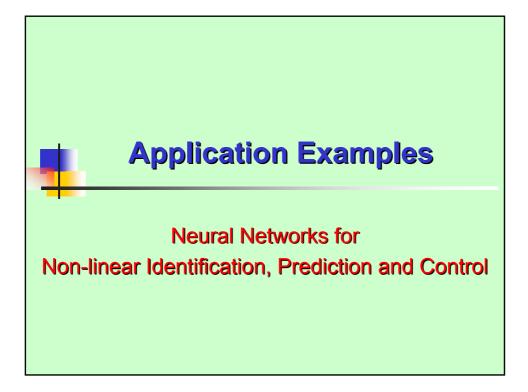


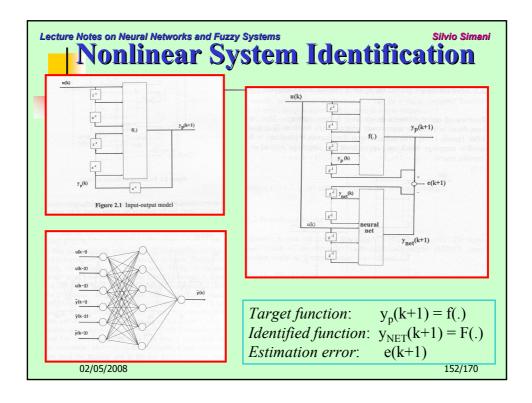


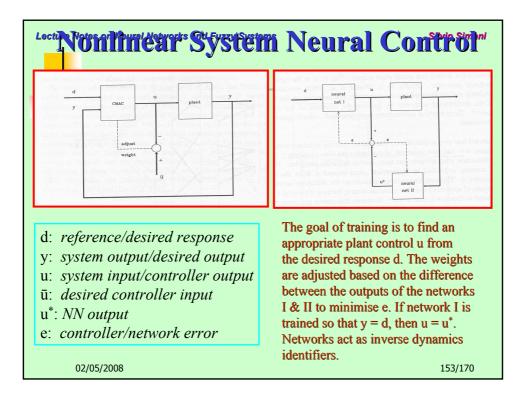


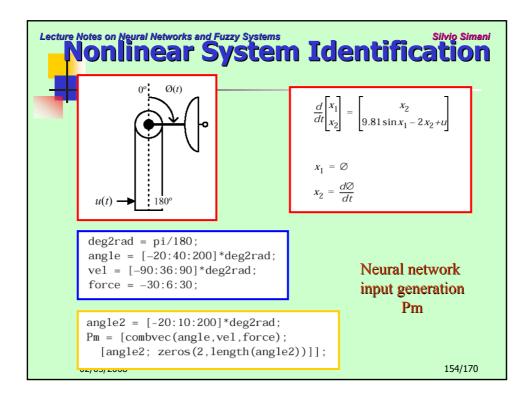


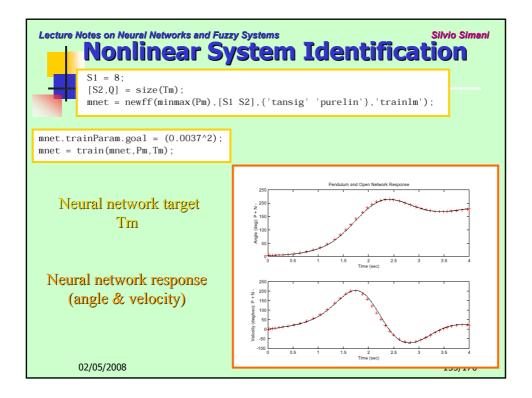


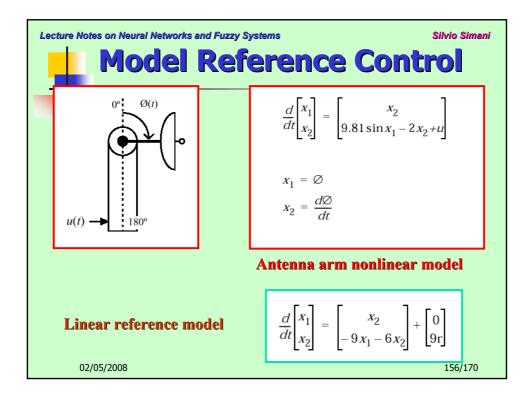


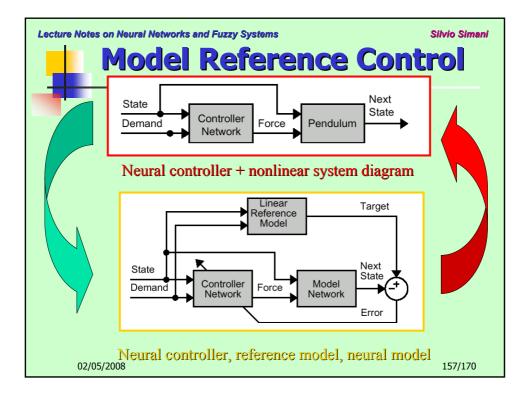




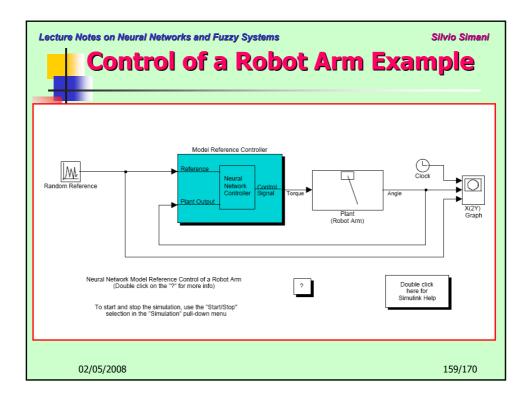


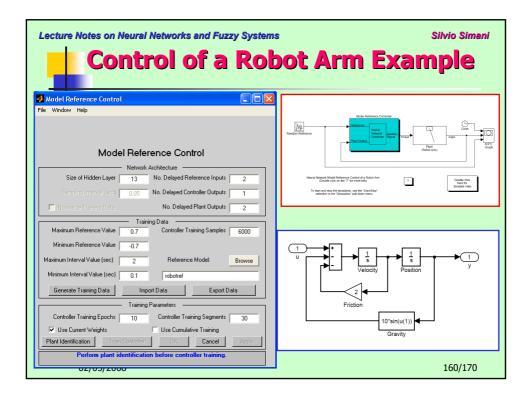






	/Data Manager	
Inputs:	Networks:	Outputs:
u	network1	out5
	network2	out10
 Targets:		Errors:
V		err5
ľ		err10
i Input Delay (States:	l Laver Delay States:
input Delay a	states.	Layer Delay States.
J		
- Networks a	ind Data	
	Help New Data	New Network
	mport Export	View Delete
∟ ⊢Networks o	inlv	
li	nitialize Simulate	Frain Adapt





Lecture Notes on Neural Networks and Fuzzy Systems Silvio Simani				
Plant Identification				
File Window Help Plant Identification Network Architecture Size of Hidden Layer 10 No. Delayed Plant Inputs 2 Sampling Interval (sec) 0.05 No. Delayed Plant Outputs 2 Normalize Training Data Training Data	Hold Hardrand Andrew Report Hardrand Lander Report Hardrand Lander Hardrand Lander Hard			
Training Samples 10000 Imit Dutput Data Maximum Plant Input 15 Maximum Plant Output 3.1 Minimum Plant Input -15 Minimum Plant Output -3.1 Maximum Interval Value (sec) 2 Simulink Plant Model Browee Minimum Interval Value (sec) 0.1 robotarm Export Data Export Data	Plant Identification: Data generation from the			
Training Parameters Training Epochs 300 Training Function Itraining Epochs Use Current Weights Use Validation Data Training Turber Itrain Network Generate or import data before training the neural network plant.	Reference Model for Neural Network training			
02/05/2008	161/170			

